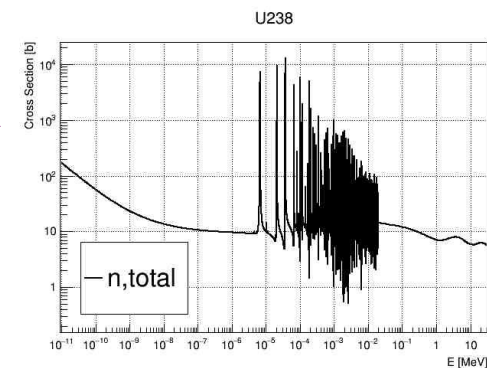
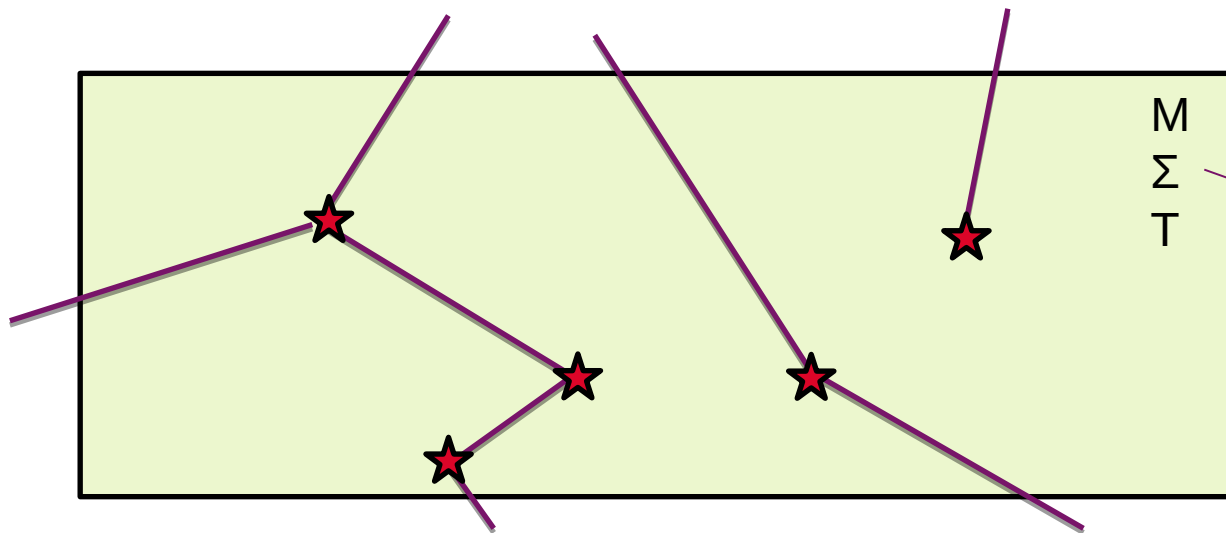


- ❑ Monte Carlo method
- ❑ MPI/OpenMP parallelisation
- ❑ **80% CPU time** in a single hot spot (SIGMA1 kernel)
- ❑ Strong interest in **hybrid** architectures



- past studies for the optimisation of precision for SIGMA1
  - E. Brun et al., "A Study of the Effects and Benefits of Custom-Precision Mathematical Libraries for HPC Codes," in IEEE Transactions on Emerging Topics in Computing 9 (2021) 1467-1478
- parallel debugging is complicated
  - need for reproducibility
  - ideally: mono=para
- precision for the whole MC run: I am not even sure how to pose the problem, but it would be an interesting question

# MONTE CARLO TRANSPORT ALGORITHM (2)

```
for each batch
  initialize particle state from source
  for each particle in batch
    while (particle alive)
      find material at particle position
      for each nuclide in material
        load total micro cross-section & atomic density
        accumulate macro cross section
      sample next interaction point
      sample collided nuclide
      for each reaction type in collided nuclide
        load partial micro cross-section
        sample reaction
        update particle state (direction, energy, alive...)
    end
  end
end
```

Two approaches:

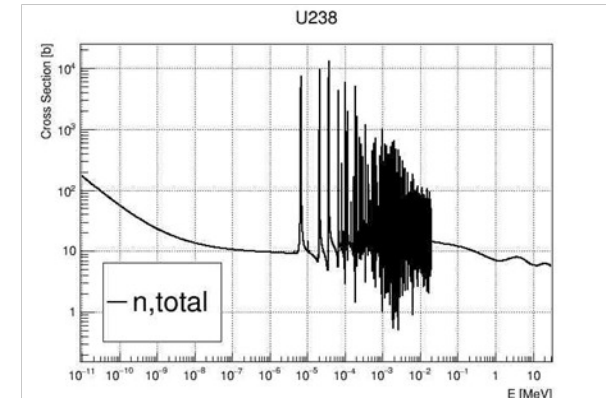
Binary search on  
pre-tabulated XS

On-the-fly Doppler  
broadening of XS

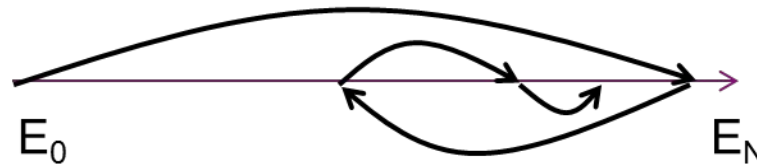
## Binary search on pre-tabulated XS

### Neutron cross sections $\sigma(E)$

- They are stored as **long tables** of unequally spaced values  $(E_i, \sigma_i)$  with linear reconstruction for  $E_{i-1} < E < E_i$ 
  - $^1\text{H}$ :  $6 \times 10^2$  grid points
  - $^{238}\text{U}$ :  $1.5 \times 10^5$  grid points
  - “unified” grid:  $3 \times 10^6$  grid points



- 80% of computing time in reactor physics calculations is spent in the evaluation of  $\sigma(E)$ 
  - This time is mostly spent in the **binary search** to locate  $E$  in the energy grid



- The energy array is accessed *randomly*
- The **floating point unit is mostly idle** because of *cache misses* in the binary search
- The **vector unit does nothing**

**Alternatives:** unified grid, hash tables, ...

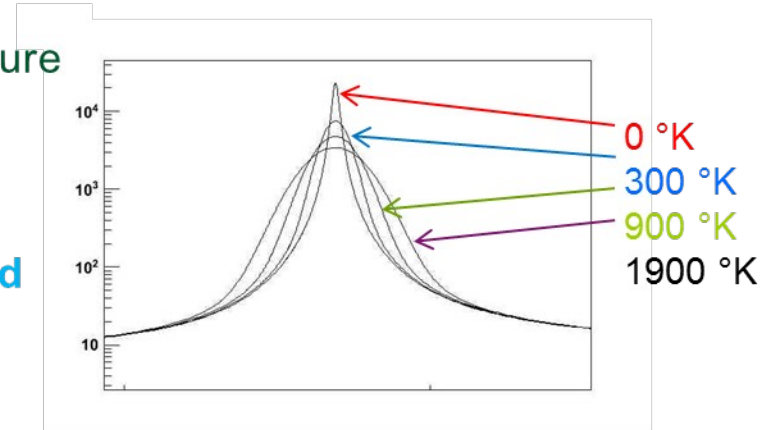
## On-the-fly Doppler broadening

### Cross sections at temperature

- Microscopic cross sections depend on the temperature

$$\sigma(E, T) = \int \sigma(E, 0) M(E, T)$$

- Traditionally, **Doppler broadening** is **pre-calculated** and loaded in memory for **a few temperatures**
  - For 200 isotopes, cross sections weight more than **1 Gigabyte per temperature**: loading hundreds of temperatures is **not** a viable option
- Doppler broadening must be carried out “**on the fly**”, that is during the simulation, at each transport flight
  - A few options for the “on the fly” temperature treatment are available today, each with pros and cons
  - We have focused on the “sigma1” method: the most accurate, the **slowest** but with **good potential for vectorization**



**Alternatives:** multipoles (OpenMC, thesis : Y. Wang and T. Freiman), TMS (Serpent)